

So, its volume is: V = base area \times height $= \pi (3.7)^2 \times 10.5$ Key in: π × 3.7 x² × 10.5 $\stackrel{\text{ENTER}}{=}$ to display 451.588236 Use a calculator. $V \doteq 451.6$ The volume of the can of baked beans is about 452 cm³. We can apply this idea to write a formula for the volume of any cylinder. Its radius is r. So, its base area is πr^2 . $A = \pi r^2$ Its height is *h*. So, its volume is: $V = base area \times height$ $=\pi r^2 \times h$ $=\pi r^2 h$ So, a formula for the volume of a cylinder is $V = \pi r^2 h$, where r is the radius of its base, and h its height. Example The base of a juice can is a circle with diameter 6.8 cm. 6.8 cm The height of the can is 12.2 cm. What is the volume of the can? 12.2 cm The radius of the base is: $\frac{6.8 \text{ cm}}{2} = 3.4 \text{ cm}$ Solution Use the formula for the volume of a cylinder: $V = \pi r^2 h$ Substitute: r = 3.4 and h = 12.2 $V = \pi (3.4)^2 \times 12.2$ Use a calculator. $V \doteq 443.07$ The volume of the can is about 443 cm³. Capacity is measured in litres or millilitres. Since $1 \text{ cm}^3 = 1 \text{ mL}$, the capacity of the can in the *Example* is

about 443 mL.



How is the volume of a cylinder related to the volume of a triangular prism? How are these volumes different?

6.4 Volume of a Cylinder 🛸

culator Skills

Practice

the sum of the posite numbers veen 1 and 40.



Reflect